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Predictive Analytics: A Statistical Primer for Data Modelers

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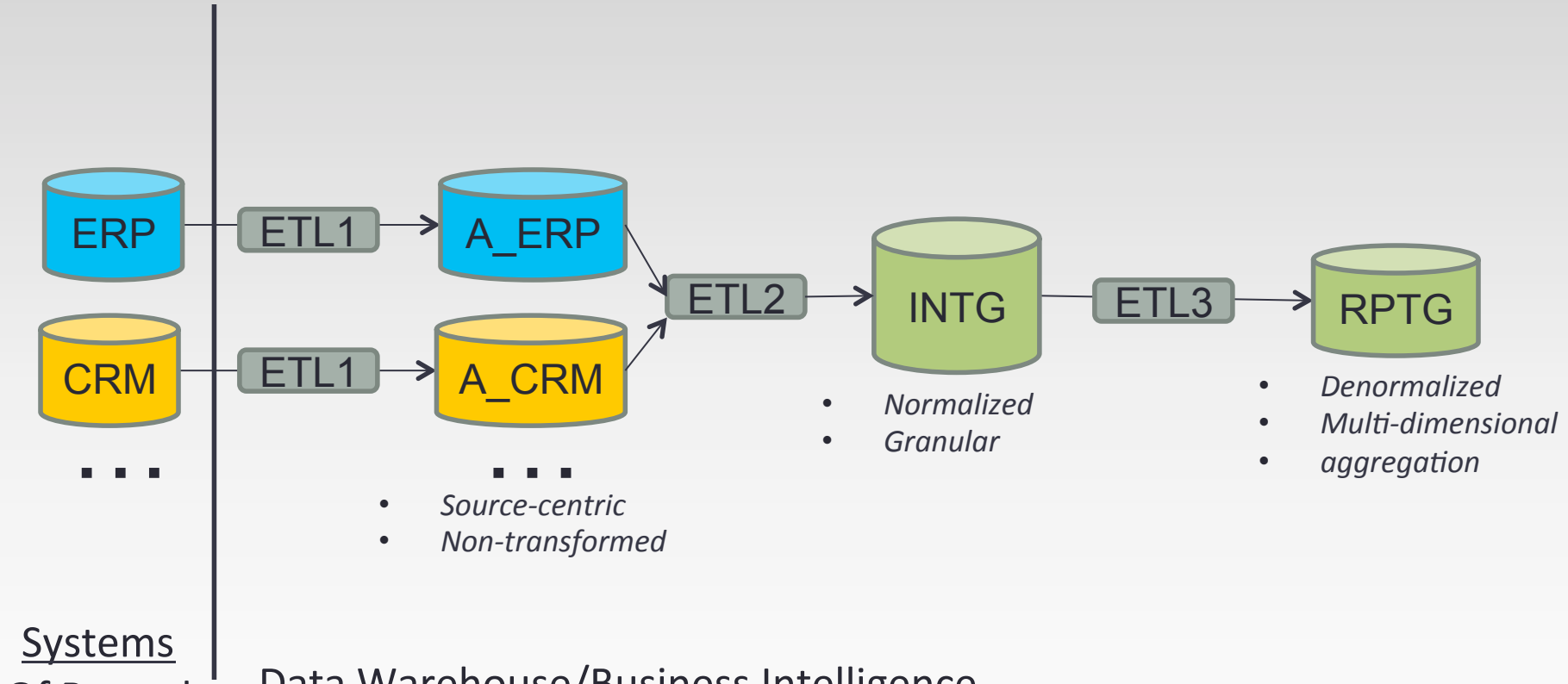
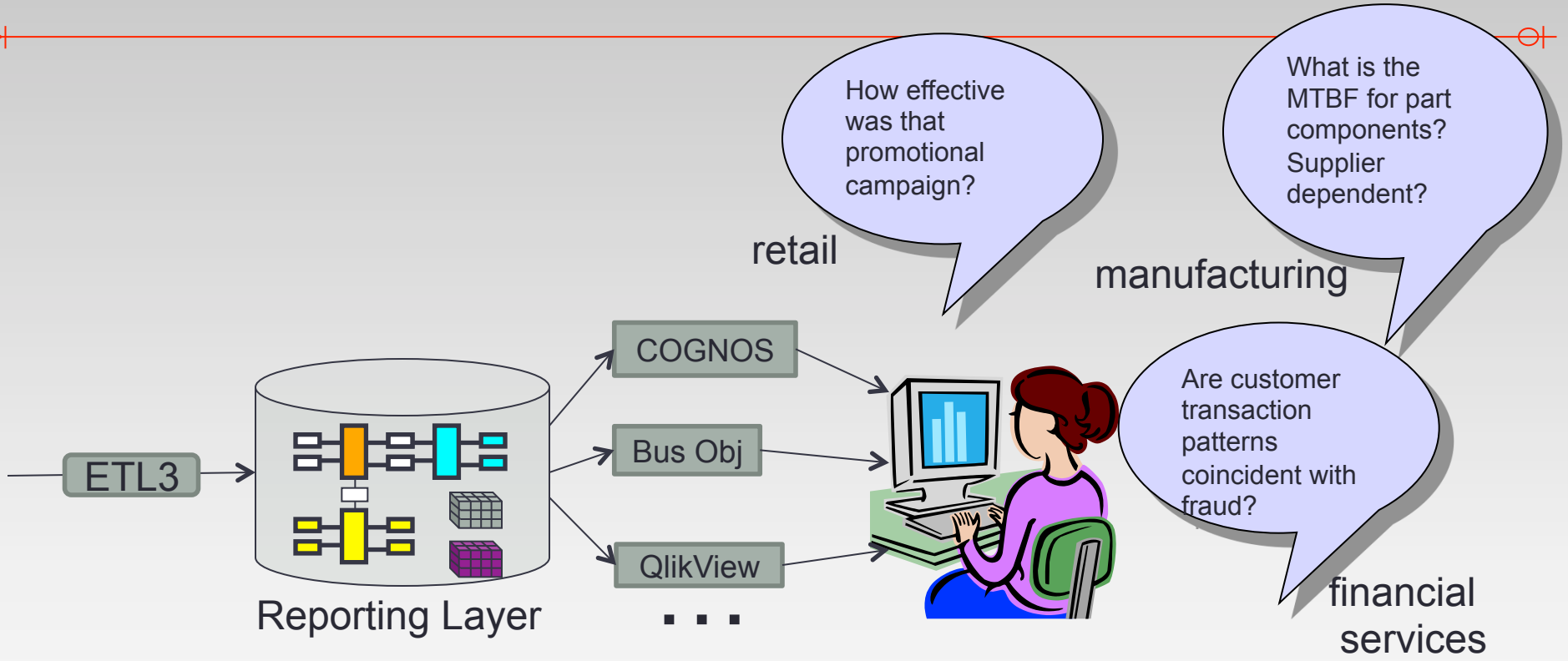
Predictive Analytics: Agenda

- **What** – Contrast to Descriptive Analytics
- **Why** – Value Proposition for Predictive Analytics
- **How** – Statistical basis of Predictive Analytics
- **Getting Started** with Predictive Analytics
- **Q&A**

'Traditional' DW/BI Architecture



Descriptive Analytics (OLAP)

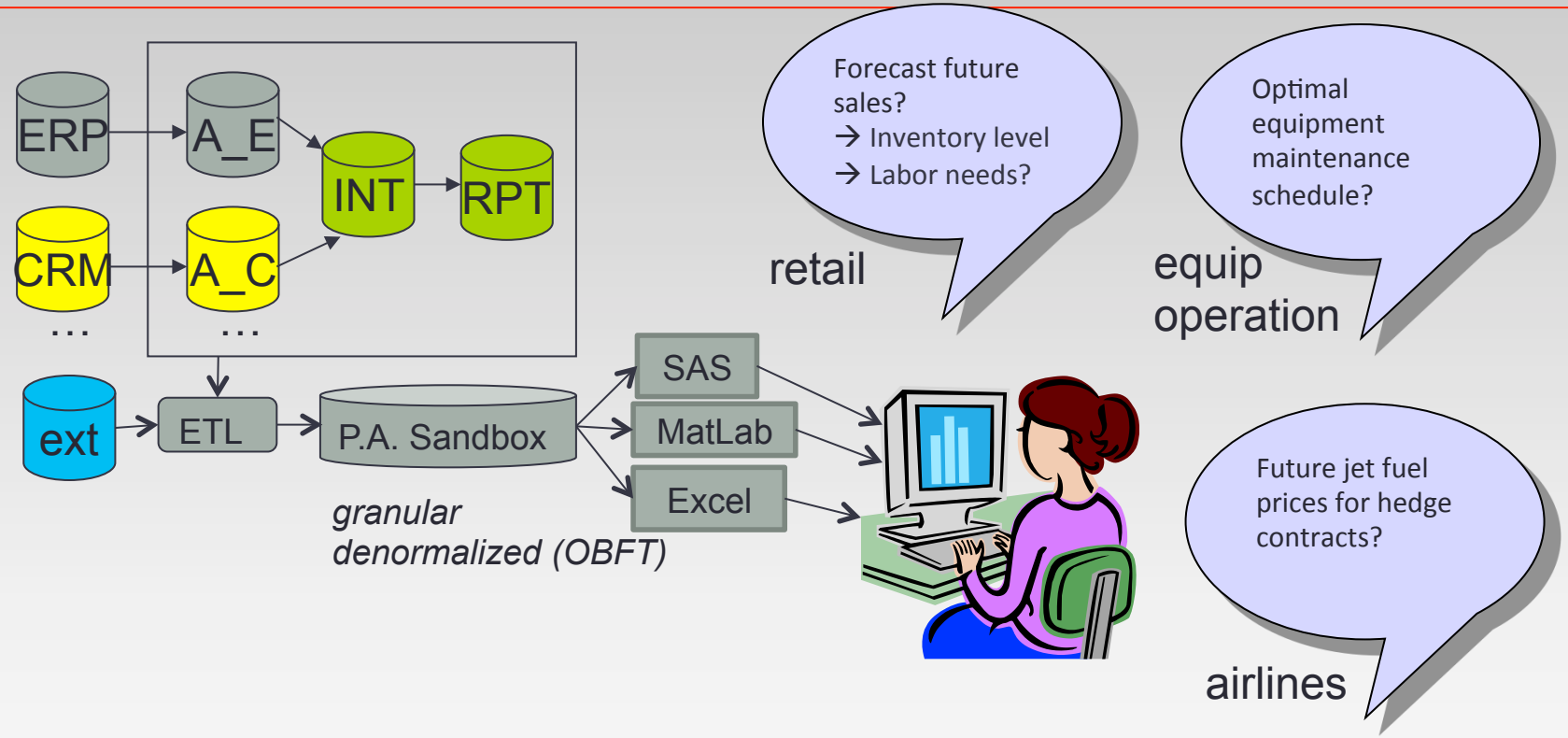


Descriptive Analytics – *What **has** happened**?***

Trends, patterns, exceptions in historic data

Monitor/Control, business process improvement

Predictive Analytics

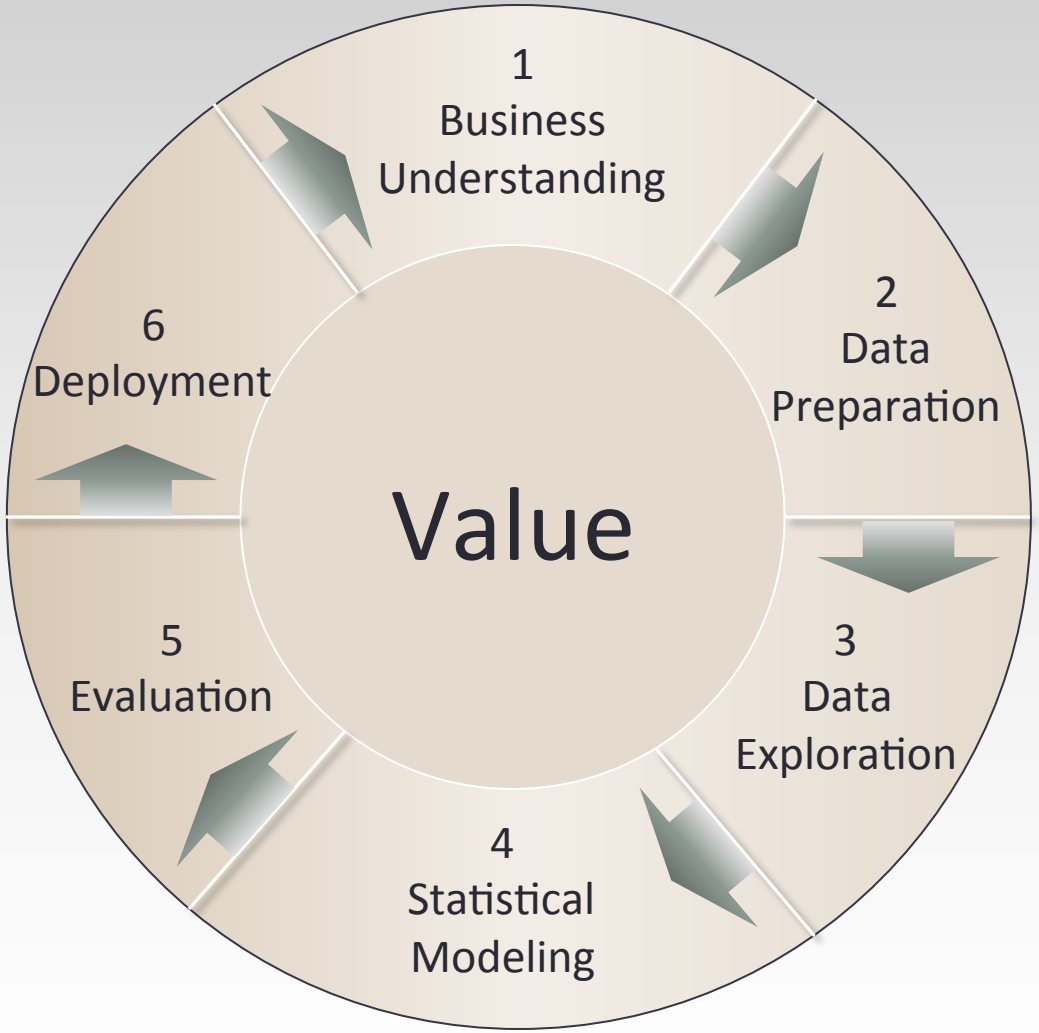


Predictive Analytics – *What **will** happen**?***

Advanced statistics →mathematical models

Forecast future state/behavior

Predictive Analytics Lifecycle



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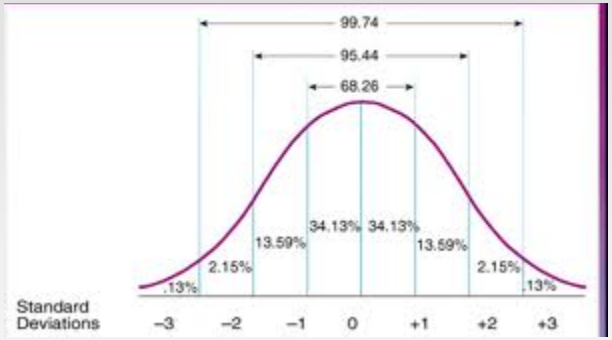
Statistics 101

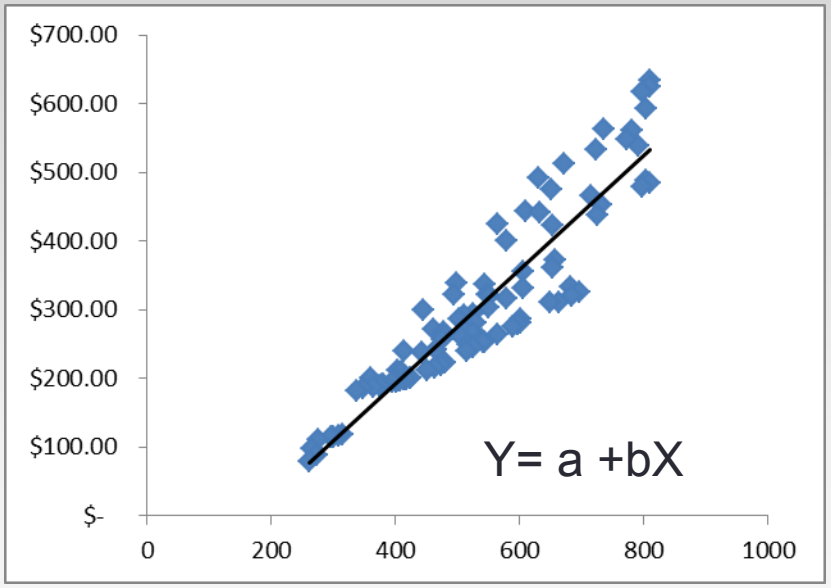
Mean (average), $\underline{X} = \Sigma (X_i)/N$

Variance, $S_x^2 = \Sigma (X_i - \underline{X})^2 / (N-1) = s_x^2$

Standard Deviation, $s_x = \sqrt{s_x^2}$



Simple Linear Regression



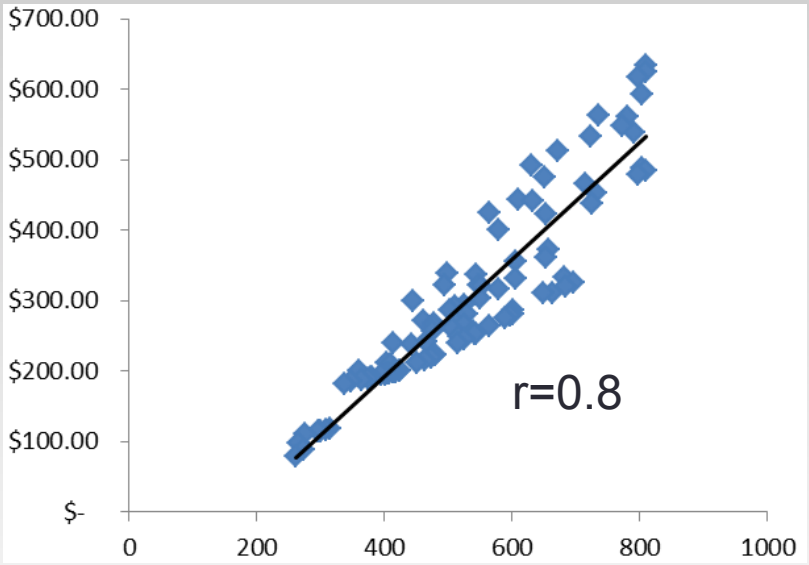
Covariance, $S_{xy}^2 = \Sigma(X_i - \underline{X})(Y_i - \underline{Y})/(N-1) = s_{xy}^2$

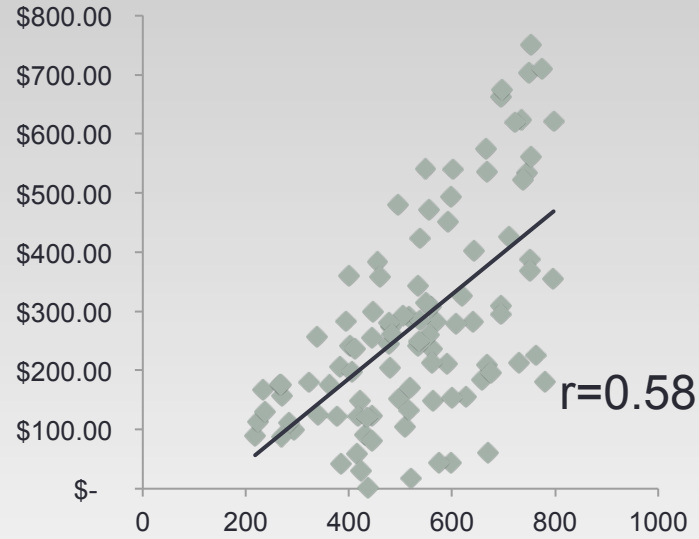
Slope, $b = s_{xy} / s_x$

Intercept, $a = \underline{Y} - b\underline{X}$

Best Fit: **minimizes variance** between **predicted** values and **observed** values

Simple Correlation





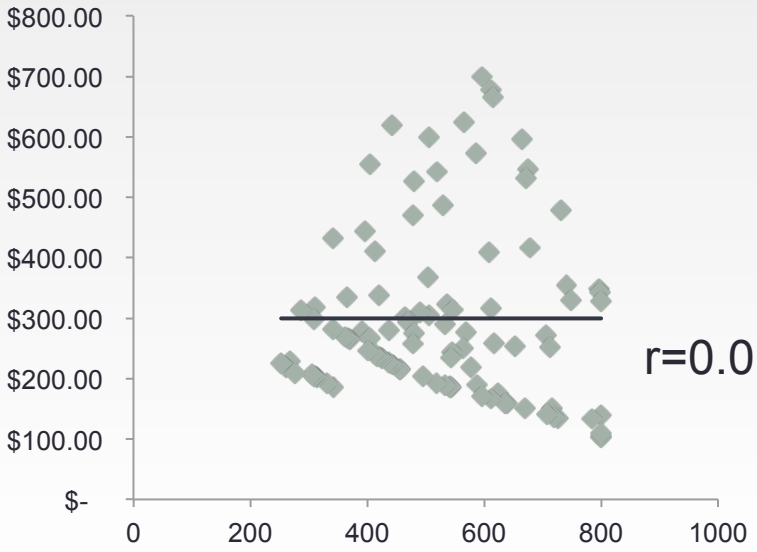
Correlation Coefficient, $r=s_{xy}/s_x s_y$

$-1 <= r <= +1$

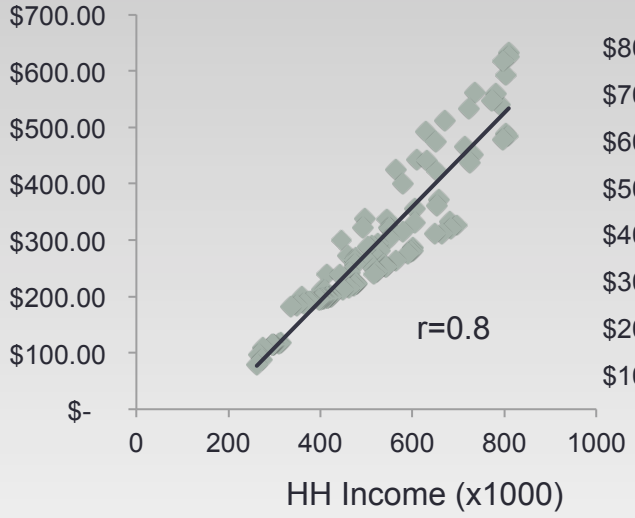
Correlation =/=> Cause and Effect

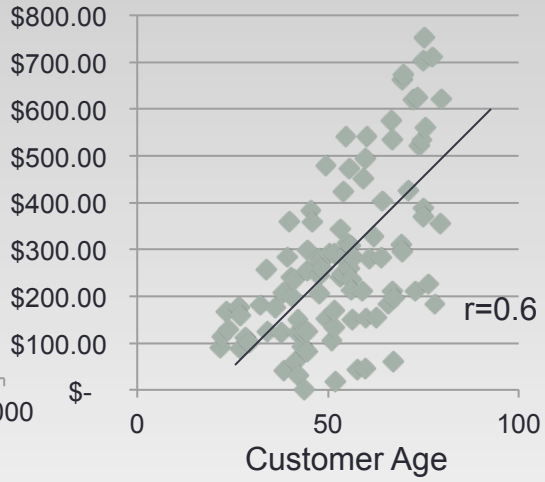
$0 <= r^2 <= +1$

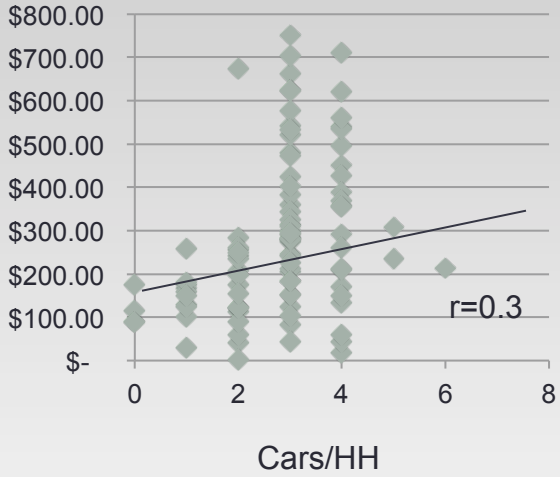
r^2 ==> fraction of Y variance attributable to X



Multiple Correlation & Regression







Mercedes Sales = a + b(Income) + c(Age) + d(HH Cars)

$R^2 = 0.89$

Variable	Sales	Income	Age	Cars
Sales	1.0	0.8	0.6	0.3
Income		1.0	0.7	0.4
Age			1.0	0.3
Cars				1.0

Partial Correlation

Original Correlation Matrix

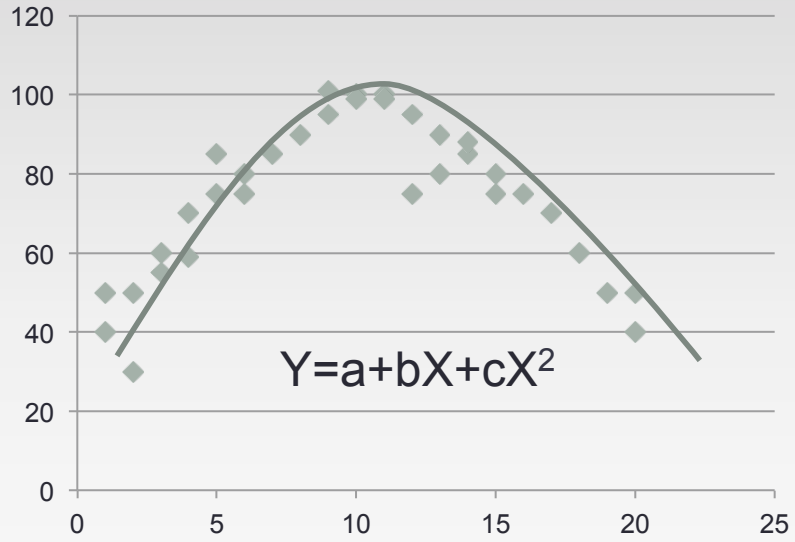
Variable	Sales	Income	Age	Cars
Sales	1.0	0.8	0.6	0.3
Income		1.0	0.7	0.4
Age			1.0	0.3
Cars				1.0

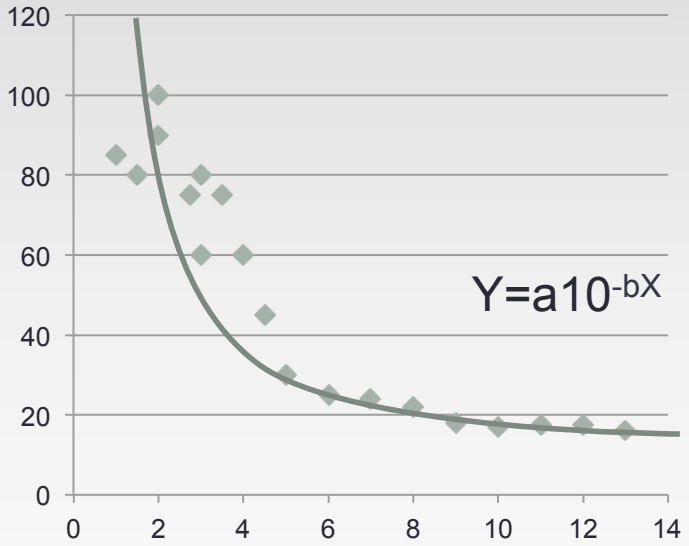
Stepwise (Partial) Correlation Matrix

Variable	Sales	Income	Age*	Cars*
Sales	1.0	0.79	-0.48	0.09
Income		1.0		
Age			1.0	
Cars				1.0

Mercedes Sales = a' + b'(HH Income) - c'(Age)

Nonlinear Regression





Does the mathematical model make business sense?

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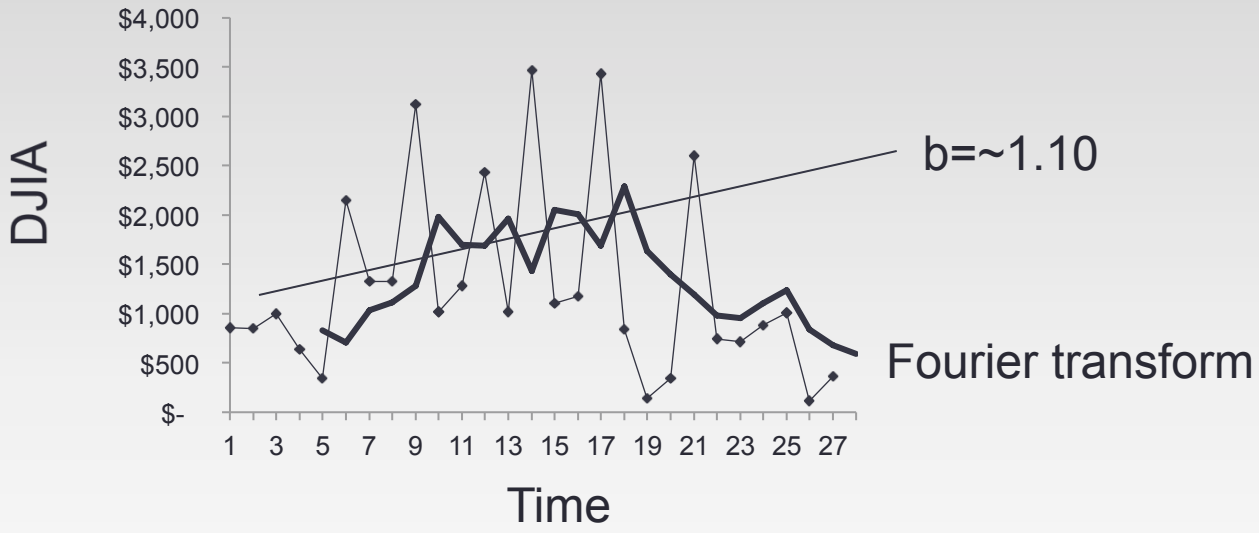
Periodic (Cyclic) Models



$DJIA = a + bT + cSIN(T_c - T) + dSIN(T_d - T) + \ldots$

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Getting Started Suggestions

1. Bone up on statistics/predictive modeling
   - www.coursera.org – free, online classes
   - Books – “Predictive Analytics” by Conrad Carlberg
   - Leverage in-house methods/tools expertise
2. Engage a user-partner/business problem
   - Evaluate current forecast process and impact
   - Explore the data – metrics, sensitivity variables
   - Prototype a model – test it against actual data
3. Estimate business impact ($) – what if scenarios, precasting
4. Get started with simple tools (Excel with advance stat plug-ins)
5. Parallel trials with current process and proposed predictive model
   - Continuous monitoring and refinement

Questions

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